

# Software Engineering

## Exercise 3

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INVARIANT clause for the elevator: *"if the door is open then the current floor is among the pending requests."*

INVARIANT

```
cab : floors &  
req <: floors &  
door : DSTATE  
&  
(door = open => cab : req)
```

`request(f1)` operation: adds the floor *f1* to the set (not a multiset) of pending requests. It is allowed for the given floor *f1* to already be a pending request.

```
request (f1) =  
    PRE  
        f1 : floors  
    THEN  
        req := req \ / {f1}  
    END  
;
```

move operation: moves the cab to an arbitrary floor that is among the pending requests. The current floor must not be a pending request, and the door must be closed.

```
move =  
  PRE  
    req /= {} &  
    cab /: req &  
    door = closed  
  THEN  
    cab :: req  
  END  
;
```

## Exercise 1: The B Method

toggle operation: Opens the door if it is closed, and closes it otherwise. The cab door must be toggled only if the cab's current floor is a pending request. If the operation closes the door, the request is removed from the set of pending requests.

```
toggle =
  PRE
    cab : req
  THEN
    IF
      door = closed
    THEN
      door := open
    ELSE
      req := req - {cab} ||
      door := closed
    END
  END
END
```

*Consistency:* for each operation PRE  $P$  THEN  $S$  END, show:

$$I \ \& \ P \Rightarrow [S]I.$$

using the *weakest precondition*.

For the Elevator machine, we have:

$$I \equiv \text{cab} : \text{floors} \ \& \ \text{req} <: \text{floors} \ \& \ \text{door} : \text{DSTATE} \\ \& \ (\text{door} = \text{open} \Rightarrow \text{cab} : \text{req})$$

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For the Elevator machine, we have:

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The request(fl) operation is consistent:

```
cab : floors & req <: floors & door : DSTATE
& (door = open => cab : req) & fl : floors =>
[req := req \ / {fl}] I
<=> (wp)
cab : floors & req <: floors & door : DSTATE
& (door = open => cab : req) & fl : floors =>
cab : floors & req \ / fl <: floors & door : DSTATE
& (door = open => cab : req \ / fl)
<=> (set theory, predicate logic)
true
```



The move operation is consistent:

```
cab : floors & req <: floors & door : DSTATE
& (door = open => cab : req)
& req /= {} & cab /: req & door = closed =>
[ cab :: req ] I
<=> (wp)
```

```
cab : floors & req <: floors & door : DSTATE
& (door = open => cab : req)
& req /= {} & cab /: req & door = closed =>
cab : req =>
```

```
cab : floors & req <: floors & door : DSTATE
& (door = open => cab : req)
<=> (predicate logic)
true
```

The toggle operation is consistent:

```
I & cab : req =>
```

```
[IF door = closed THEN door:= open
```

```
ELSE req := req - {cab} || door := closed]I
```

```
<=> (wp)
```

```
I & cab : req =>
```

```
(door = closed) & [door:=open]I
```

```
or (not door=closed & [req:=req-{cab} || door:=closed]I)
```

$\Leftrightarrow$  (wp)

I & cab : req  $\Rightarrow$

(door = closed) & cab : floors & req <: floors

& open : DSTATE & (open = open  $\Rightarrow$  cab : req)

or (not door=closed & cab : floors & req- $\{cab\}$  <: floors

& closed : DSTATE & (closed = open  $\Rightarrow$  cab : req- $\{cab\}$ ))

$\Leftrightarrow$  (predicate logic)

I & cab : req  $\Rightarrow$

(door = closed) & cab : floors & req <: floors

& (true  $\Rightarrow$  cab : req)

or (not door=closed & cab : floors & req- $\{cab\}$  <: floors

& (false  $\Rightarrow$  cab : req- $\{cab\}$ ))

$\Leftrightarrow$  (set theory, predicate logic)

...

$\Leftrightarrow$

true

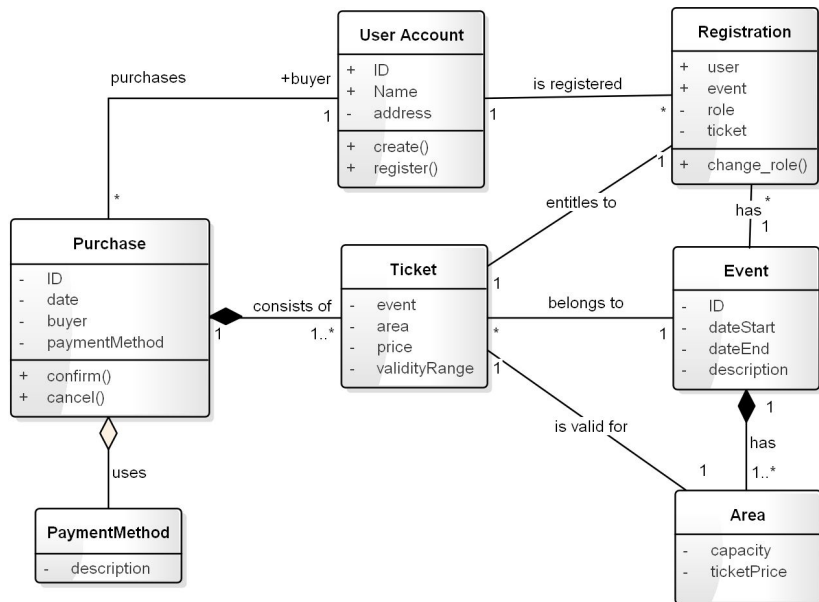
## ProB Demo

1.  $\text{NAT} : \mathbb{P}(\mathbb{N})$
2.  $\text{POW}(1) : \text{not well-typed, POW}(S)$  requires  $S$  to be set
3.  $\{1\} * \{\{1\}, \text{NAT}\} : \mathbb{P}(\mathbb{N}) \times \mathbb{P}(\mathbb{P}(\mathbb{N}))$
4.  $1:2 : \text{not well-typed, } E : S$  requires  $S$  to be a set
5.  $\text{card}(\{\{\{\}, \{1, \{\}\}, \{2\}\}) : \text{not well-typed, } \{E_1 \dots\}$  requires  $\forall E_i : A$
6.  $\{x \mid x = 1 \text{ or } x = \text{TRUE}\} : \text{not well-typed, implies that } x : \mathbb{N} \cup \mathbb{B}$  which is not allowed.
7.  $\{1\} \cap \{\{1\}\} : \text{not well-typed, } S \cap T$  requires  $S$  and  $T$  to be of the **same** set type

### Classes:

- ▶ Event
- ▶ Users: Organizer, Participant, etc
- ▶ Ticket
- ▶ Purchase
- ▶ Area
- ▶ Payment Method

# Exercise 3: OOA



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