
Softwaretechnik

<http://proglang.informatik.uni-freiburg.de/teaching/swt/2014/>

Exercise Sheet 4

Exercise 1: Design by Contract (5 Points)

The homepage of the lecture provides the code of a class `Stack` implementing stacks. Unfortunately, all pre- and postconditions as well as the invariants are missing. Please add them to the code.

Exercise 2: Contract Monitoring (5 Points)

The following code fragments are parts of Java classes and Java interfaces used for a spreadsheet application annotated with contracts. Analyze the code and identify contract violations that may occur during run-time.

```
interface IIntegerInterval {
    int getLowerBound();
    @post { 0 <= getLowerBound() < getUpperBound() }
    int getUpperBound();
    @post { 0 <= getLowerBound() < getUpperBound() }
    void changeContent (int i);
    @pre { this.getLowerBound() <= i < this.getUpperBound() }
}

class IntegerInterval implements IIntegerInterval {
    int getLowerBound() { ... }
    @post { 0 <= getLowerBound() < getUpperBound() }
    int getUpperBound() { ... }
    @post { 0 <= getLowerBound() < getUpperBound() }
    void changeContent (int i) { ... }
    @pre { this.getLowerBound() <= i < this.getUpperBound() }
}

class NegativeIntegerInterval extends IntegerInterval {
    void changeContent (int i) {
        super.changeContent (-i);
    }
    @pre { this.getLowerBound() <= -i < this.getUpperBound() }
}

class Run {

    public static void main (String[] a) {
        ...
        int i = ...
    }
}
```

```

IntegerIntervall c = ...
NegativeIntegerInterval n = ...

if (i >= 0 && i <= 10) {
  c.changeContent(c.getLowerBound()+(c.getUpperBound()-c.getLowerBound)*i/10);
}

...
n.changeContent(-42);
...

}
@pre { true }
}

```

Exercise 3: Hoare Calculus (10 Points)

Prove the following Hoare triples.

(i) $\{ x \geq 10, y \geq 0 \}$
 $y = y + x;$
 $\{ x \geq 0, y \geq 5 \}$

(ii) $\{ \text{true} \}$
 if (a > b) {
 m = a;
 } else {
 m = b;
 }
 $\{ m == \max(a, b) \}$

(iii) $\{ A, i < n \}$
 $i = i + 1;$
 $\text{sum} = \text{sum} + i;$
 $\{ A \}$

where we define the assertion A by $A \equiv (\text{sum} + \sum_{j=i+1}^n j == n(n+1)/2) \wedge i \leq n$.
Hint: express A first in a simpler, equivalent form.

(iv) $\{ n \geq 0, \text{sum}=0, i=0 \}$
 while (i<n)
 {
 i = i + 1;
 sum = sum + i;
 }
 $\{ \text{sum} == n*(n + 1)/2 \}$

(v) $\{ n \geq 0 \}$
 $\text{sum} = 0;$
 $i = 0;$
 while (i<n)

```
{
  i = i + 1;
  sum = sum + i;
}
{ sum == n*(n + 1)/2 }
```

Submission

- Submit this sheet *before* the lecture of Thursdays.
- Late submissions will not be accepted.
- Deadline: Thursday 11:59 a.m..